

Filtering Junk Mail with A Maximum Entropy Model

Zhang Le

www.nlplab.cn

Natural Language Processing Lab
Northeastern University, P.R. China

Organization

- Junk mail problem on the Internet
- Previous work on junk mail filtering
- Maximum Entropy Model
- Feature Selection
- Evaluation
- Compare with Naive Bayes
- Conclusion & Future Work

Junk Mail Problem

The increasing volume of junk mail (spams) has become the main problem concerned by email users. Junk mail has caused several problems:

- Money and time to sort through junk mails
- Causing network traffic, server overload, crashed mail-servers
- Social problems (pornography pic, unwanted adverts)

The task of junk mail filtering is to rule out unsolicited bulk mail automatically from a user's mail stream.

Previous Work

Since junk mail filtering can be re-casted as a Text Categorization task it is nature to apply known machine learning technologies to the task (Decision Tree, SVMs, Maximum Entropy Model etc.).

- RIPPER rule learning algorithm (Cohen, 1996)
- Bayes classifier (Sahami et al, 1998)
- Memory Based Learner (Androutsopoulos et al, 2000)
- Ada Boost algorithm (Carrera and Mrquez, 2001)

All these machine learning methods achieves a high junk precision & recall (> 95%). The work presented here will focus on applying Maximum Entropy Model to the spam filtering task.

Maximum Entropy Model

Maximum Entropy (ME) Model is a general purpose machine learning framework that has been successfully applied to various NLP tasks:

- POS Tagging
- Text Categorization
- Text Chunking
- Shallow Parsing
- Statistical Language Modeling
- Statistical Machine Translation.

Maximum Entropy Model

Maximum Entropy (ME) Model is a general purpose machine learning framework that has been successfully applied to various NLP tasks:

- POS Tagging
- Text Categorization
- Text Chunking
- Shallow Parsing
- Statistical Language Modeling
- Statistical Machine Translation.

Given a set of features, and a set of constraints, ME model seeks for a model that minimizes the relative entropy (in the sense Divergence of Kullback-Leibler) $D(p||p_0)$.

ME Model (cont)

In general, a conditional ME model is an exponential (log-linear) model has the form:

$$p(y|x) = \frac{1}{Z(x)} \exp \left[\sum_{i=1}^k \lambda_i f_i(x, y) \right]$$

$$Z(x) = \sum_y \exp \left[\sum_{i=1}^k \lambda_i f_i(x, y) \right]$$

where k is the number of features and $Z(x)$ is a normalization factor to ensure that $\sum_y p(y|x) = 1$, also called **partition function**.

Features in ME model

Under ME framework, constraints imposed on a model are represented by features known as **feature function** in the form:

$$f(x, y) = \begin{cases} 1 & \text{if } (x, y) \text{ satisfies certain constraint} \\ 0 & \text{otherwise} \end{cases}$$

Features in ME model

Under ME framework, constraints imposed on a model are represented by features known as **feature function** in the form:

$$f(x, y) = \begin{cases} 1 & \text{if } (x, y) \text{ satisfies certain constraint} \\ 0 & \text{otherwise} \end{cases}$$

For example:

$$f_{free}(x, y) = \begin{cases} 1 & \text{if document } x \text{ contains word } \text{free} \\ 0 & \text{otherwise} \end{cases}$$

$$f_{javascript}(x, y) = \begin{cases} 1 & \text{if } x \text{ has a } \text{malicious javascript} \\ 0 & \text{otherwise} \end{cases}$$

Parameter Estimation of ME models

Several known methods exist for estimating the parameters (λ_i) of ME models:

- Iterative Scaling (GIS, IIS)
- First order methods (Steepest Ascent, Conjugate Gradient)
- Second order methods (Limited-Memory Variable Metric (L-BFGS))

Parameter Estimation of ME models

Several known methods exist for estimating the parameters (λ_i) of ME models:

- Iterative Scaling (GIS, IIS)
- First order methods (Steepest Ascent, Conjugate Gradient)
- Second order methods (Limited-Memory Variable Metric (L-BFGS)) **most effective** (Mouf, 2002)

Parameter Estimation of ME models

Several known methods exist for estimating the parameters (λ_i) of ME models:

- Iterative Scaling (GIS, IIS)
- First order methods (Steepest Ascent, Conjugate Gradient)
- Second order methods (Limited-Memory Variable Metric (L-BFGS)) **most effective** (Moulf, 2002)

Overfitting:

- held-out data
- smoothing (Gaussian Prior) $\frac{1}{\sqrt{2\pi\sigma_i^2}} \exp\left(-\frac{\lambda_i^2}{2\sigma_i^2}\right)$

Selecting Features

- Term Feature:
 - do not stem word
 - special HTML tags are preserved (url, ip address...)
 - take account of term position

Selecting Features

- Term Feature:
 - do not stem word
 - special HTML tags are preserved (url, ip address...)
 - take account of term position
- Domain Specific Feature:
 - mail header fields (X-Mailer)
 - non-textual features (Java Script, Color, Font...) (spamassassin.org)

Selecting Features

- Term Feature:
 - do not stem word
 - special HTML tags are preserved (url, ip address...)
 - take account of term position
- Domain Specific Feature:
 - mail header fields (X-Mailer)
 - non-textual features (Java Script, Color, Font...) (spamassassin.org)
- χ^2 Tests

Evaluation

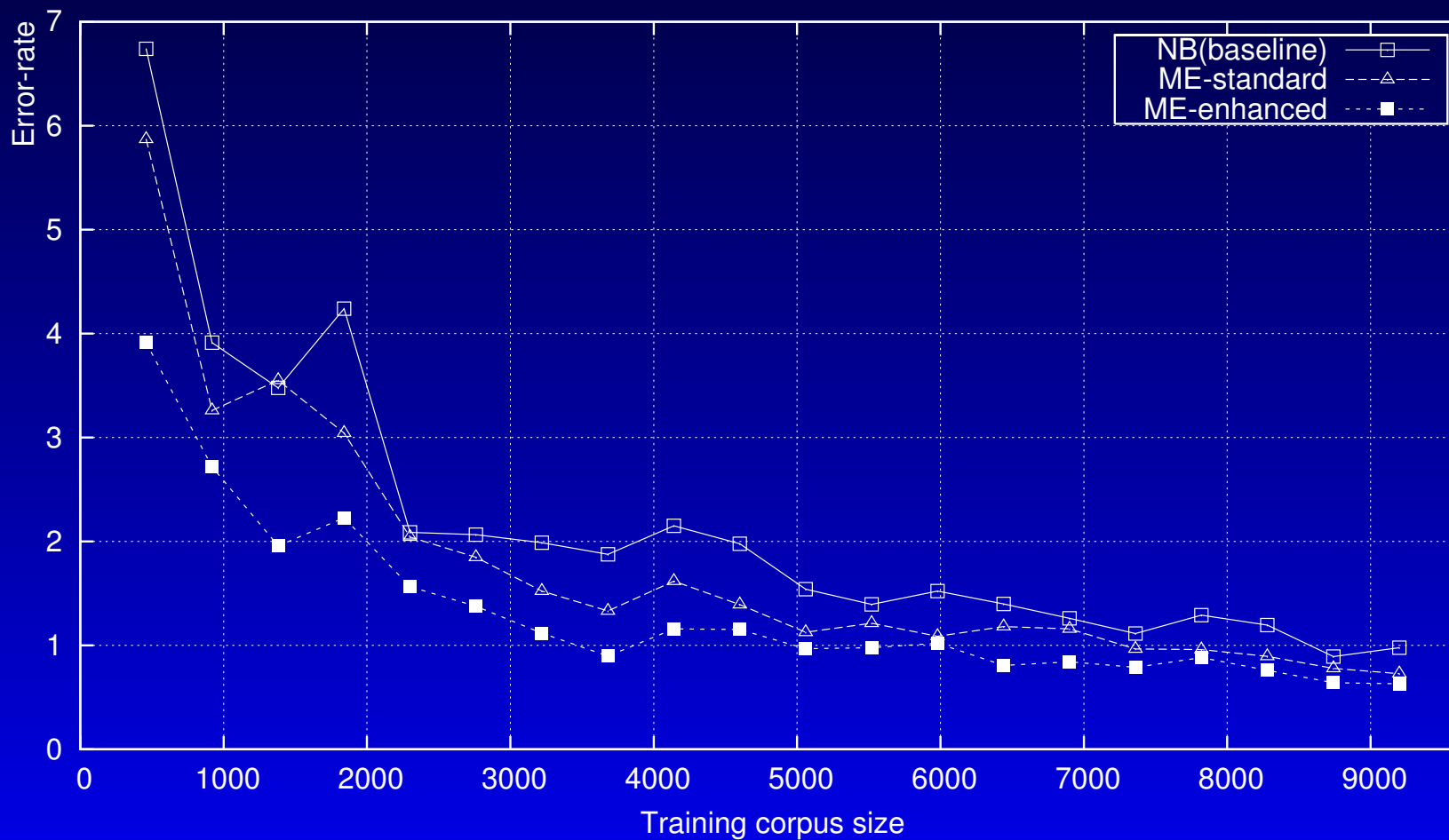
We performed experiments on a public spam corpus, which contains 9351 messages of which: 2400 are labeled as spam and 6951 are marked as legitimate (ham), with a spam rate 25.7%.

model	junk precision	junk recall	error-rate	F_1
NB(baseline)	99.67%	96.58%	0.98%	98.09%
ME	99.83%(0.16%)	97.37%(0.82%)	0.73%(-25.51%)	98.59%(0.51%)
ME-enhanced	99.83%(0.16%)	97.74%(1.20%)	0.63%(-35.71%)	98.77%(0.69%)

Table 0: Filtering performance of different models
(the number in parenthesis indicates improvements over baseline NB model)

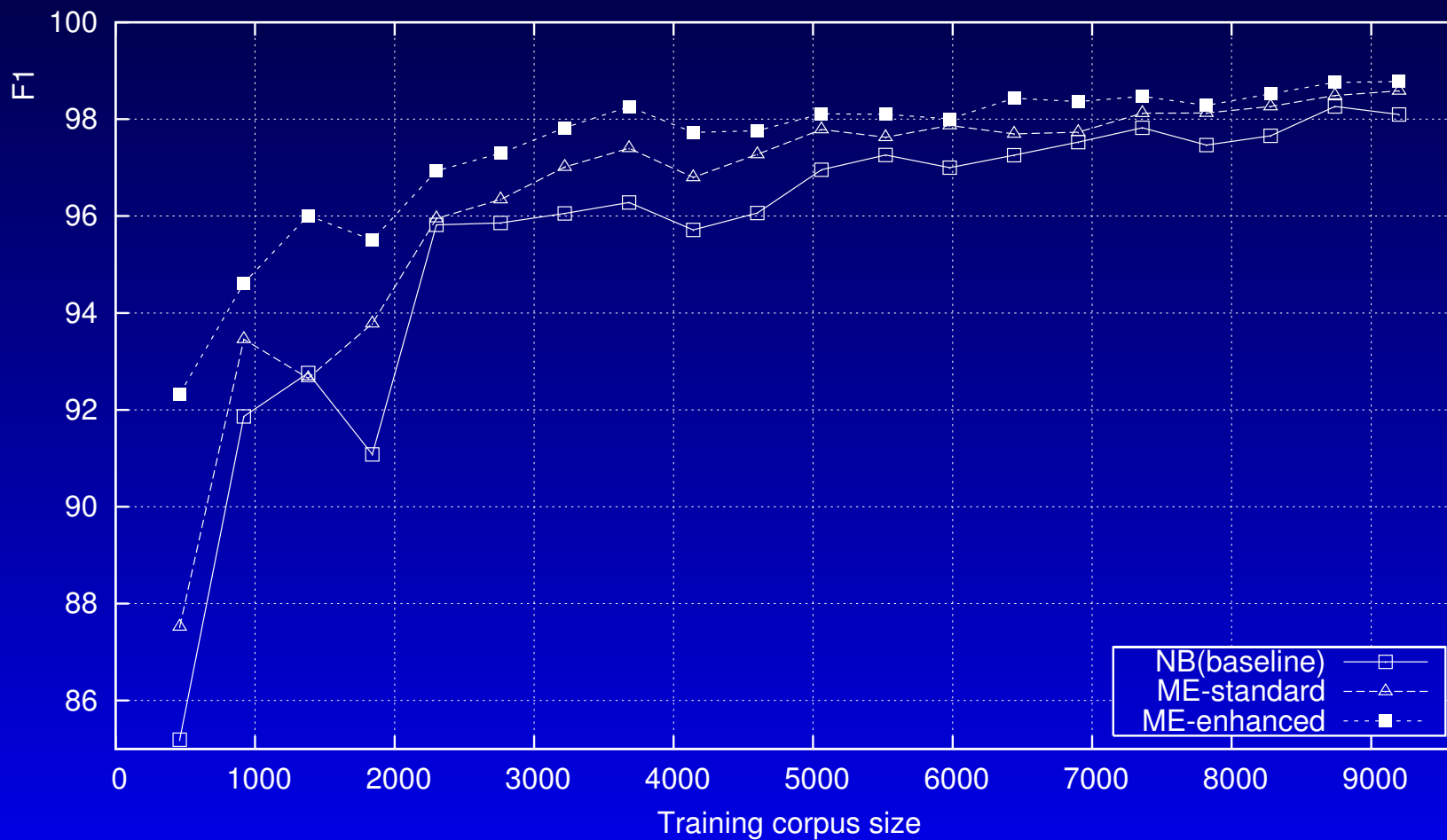
Performance (Error Rate)

Error rate



Performance (F_1 Measure)

F_1 Measure



Why Better Than Naive Bayes

Bayes Law:

$$p(y|x) = \frac{p(x|y)p(y)}{p(x)}$$

Why Better Than Naive Bayes

Bayes Law:

$$p(y|x) = \frac{p(x|y)p(y)}{p(x)}$$

Conditional independence assumption:

$$p(x|y) = p(x_1, x_2, \dots, x_n|y) \approx \prod_{i=1}^n p(x_i|y)$$

Why Better Than Naive Bayes

Bayes Law:

$$p(y|x) = \frac{p(x|y)p(y)}{p(x)}$$

Conditional independence assumption:

$$p(x|y) = p(x_1, x_2, \dots, x_n|y) \approx \prod_{i=1}^n p(x_i|y)$$

The ME model's ability of freely incorporating evidence from different sources makes it perform better than Naive Bayes classifier, which suffers from strong **conditional independence assumptions**.

Conclusion

Strength of ME model:

- knowledge-poor features
- reusable software
- free incorporation of overlapping and interdependent features

Conclusion

Strength of ME model:

- knowledge-poor features
- reusable software
- free incorporation of overlapping and interdependent features

Weakness of ME model:

- slow training procedure
- can not do increment learning (like Bayes and MBL)
- no explicit controls on parameter variance (like SVMs), to control **false positive rate**

Future Work

- More sophisticated features (variable length n-gram sequence, triggers...)
- Shallow parsing model
- Compare with other ML framework (Ada Boost, SVMs)

The End

